

HW KEY

- ① $\angle 4 \cong \angle 5$, so $p \parallel q$ by the Conv. of the Corr. \angle 's Post.
- ② $m\angle 1 = 128^\circ$, and $m\angle 8 = 128^\circ$, so $\angle 1 \cong \angle 8$. $P \parallel q$ by the Conv. of the Corr. \angle 's post.
- ③ $m\angle 4 = 47^\circ$, and $m\angle 5 = 47^\circ$, so $\angle 4 \cong \angle 5$. $P \parallel q$ by the Conv. of the Corr. \angle 's post.
- ④ $\angle 1 \cong \angle 5$, so $r \parallel s$ by the Conv. of alt. ext. \angle 's thm.
- ⑤ $\angle 3$ and $\angle 4$ are supp., so $r \parallel s$ by the conv. of same-side int. \angle 's thm.
- ⑥ $\angle 3 \cong \angle 7$, so $r \parallel s$ by the conv. of the alt. int. \angle 's thm.
- ⑦ $m\angle 4 = 61^\circ$, and $m\angle 8 = 61^\circ$, so $\angle 4 \cong \angle 8$. $r \parallel s$ by the Conv. of the alt. int. \angle 's thm.
- ⑧ $m\angle 8 = 139^\circ$, and $m\angle 7 = 41^\circ$. $139^\circ + 41^\circ = 180^\circ$, so $\angle 8$ and $\angle 7$ are supp. $r \parallel s$ by the conv. of the same-side int. \angle 's thm.
- ⑨ $m\angle 2 = 132^\circ$, and $m\angle 6 = 132^\circ$, so $\angle 2 \cong \angle 6$. $r \parallel s$ by the conv. of the alt. ext. \angle 's thm.
- ⑩ a: Transitive prop of \cong . b: $\overline{XY} \parallel \overline{WV}$.
c: Conv. of the alt. int. \angle 's thm.
- ⑪ $m\angle 1 = 60^\circ$, and $m\angle 2 = 60^\circ$, so $\angle 1 \cong \angle 2$. By the conv. of the alt. int. \angle 's thm., the landings are \parallel .
- ⑫ $\angle 3 \cong \angle 7$, so $l \parallel m$ by the conv. of corr. \angle 's post.
- ⑬ $m\angle 4 = 54^\circ$, and $m\angle 8 = 54^\circ$, so $\angle 4 \cong \angle 8$. $l \parallel m$ by the conv. of the corr. \angle 's post.
- ⑭ $m\angle 2 = 124^\circ$, and $m\angle 6 = 124^\circ$, so $\angle 2 \cong \angle 6$. $l \parallel m$ by the conv. of the corr. \angle 's post.
- ⑮ $m\angle 1 = 55^\circ$, and $m\angle 5 = 55^\circ$, so $\angle 1 \cong \angle 5$. $l \parallel m$ by the Conv. of the Corr. \angle 's post.

- (16) $\angle 3 \cong \angle 6$, so $n \parallel p$ by the conv. of the alt. int. \angle 's thm.
- (17) $\angle 2 \cong \angle 7$, so $n \parallel p$ by the conv. of the alt. ext. \angle 's thm.
- (18) $\angle 4$ and $\angle 6$ are supp., so $n \parallel p$ by the conv. of the same-side int. \angle 's thm.
- (19) $m\angle 1 = 105^\circ$, and $m\angle 8 = 105^\circ$, so $\angle 1 \cong \angle 8$. $n \parallel p$ by the conv. of the alt. ext. \angle 's thm.
- (20) $m\angle 4 = 103^\circ$, and $m\angle 5 = 103^\circ$, so $\angle 4 \cong \angle 5$. $n \parallel p$ by the conv. of the alt. int. \angle 's thm.
- (21) $m\angle 3 = 75^\circ$, and $m\angle 5 = 105^\circ$. $75^\circ + 105^\circ = 180^\circ$, so $\angle 3$ and $\angle 5$ are supp. $n \parallel p$ by the conv. of the same-side int. \angle 's thm.
- (22) a: Corr. \angle 's post., b: Given, c: Transitive PoE, d: $\overline{BC} \parallel \overline{DE}$, e: Conv. of Corr. \angle 's Post.
- (23) If $x = 6$, then $m\angle 1 = 20^\circ$ and $m\angle 2 = 20^\circ$. So $\overline{DJ} \parallel \overline{EK}$ by the Conv. of the Corr. \angle 's post.
- (24) Conv. of the Corr. \angle 's post.
- (25) Conv. of the alt. ext. \angle 's thm.