

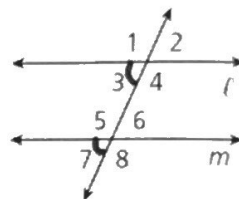
Corresponding Angles Postulate: If lines are parallel, then the corresponding \angle 's are \cong .

Converse of Corresponding Angles Postulate:

If corresponding \angle 's are \cong , then the lines are parallel.

Given: $m\angle 3 = (4x - 80)^\circ$, $m\angle 7 = (3x - 50)^\circ$, $x = 30$

Prove: $\ell \parallel m$
 $m\angle 3 = 4(30) - 80 = 40^\circ$
 $m\angle 7 = 3(30) - 50 = 40^\circ$



* Converse of corresponding \angle 's.

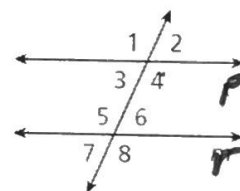
Converse of Alternate Interior Angles Theorem: If alt int \angle 's are \cong , then lines are \parallel .

Converse of Alternate Exterior Angles Theorem: If alt ext. \angle 's are \cong , then lines are \parallel .

Converse of Same Side Interior Angles Theorem: If same side int \angle 's are supplementary, then lines are \parallel .

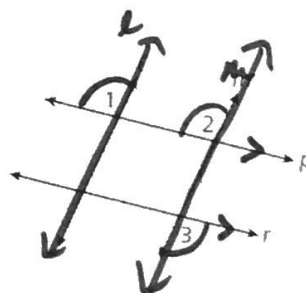
Name the postulate or theorem that proves $p \parallel r$.

- 1) $\angle 4 \cong \angle 5$ Converse of Alt. int \angle 's
- 2) $\angle 2 \cong \angle 7$ Converse of Alt. Ext \angle 's
- 3) $\angle 3 \cong \angle 7$ Converse of corresponding \angle 's
- 4) $\angle 3$ and $\angle 5$ are supplementary Converse of Same Side Interior \angle 's.



Given: $p \parallel r$, $\angle 1 \cong \angle 3$

Prove: $\ell \parallel m$



| Statement | Reason |
|-----------------------------|---------------------------------------|
| ① $p \parallel r$ | ① Given |
| ② $\angle 2 \cong \angle 3$ | ② Alt Ext. \angle 's |
| ③ $\angle 1 \cong \angle 3$ | ③ Given |
| ④ $\angle 1 \cong \angle 2$ | ④ Transitive Prop. |
| ⑤ $\ell \parallel m$ | ⑤ Conv. of corresponding \angle 's. |