
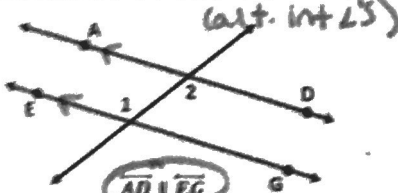
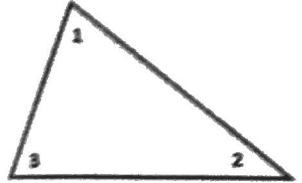
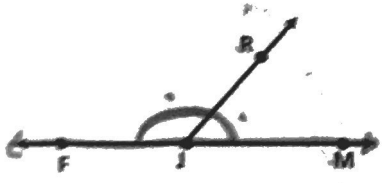
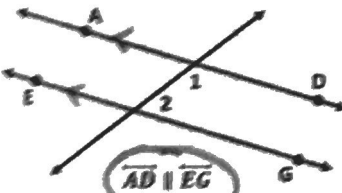

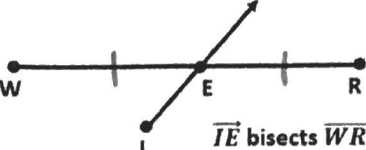
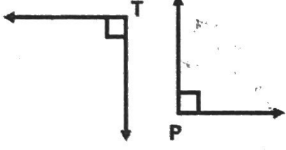
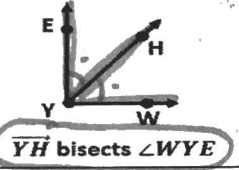


Directions: Complete the chart.

GIVEN	STATEMENT	REASON
 <p>(vertical \angle's)</p>	$\angle 1 \cong \angle 2$ \longrightarrow $m\angle 1 = m\angle 2$ \longrightarrow	Def. of vertical \angle 's. Def. of congruence (\cong)
 <p>(alt. int \angle's)</p>	$\angle 1 \cong \angle 2$ \longrightarrow $m\angle 1 = m\angle 2$ \longrightarrow	Alt. int \angle 's Theorem Def. of \cong
	$m\angle 1 + m\angle 2 + m\angle 3 = 180^\circ$	Triangle Sum Theorem
	$m\angle FJR + m\angle RIM = 180^\circ$ $\angle FJR$ & $\angle RIM$ are supplementary	Def. of Linear Pair Def of supplementary angles
	$m\angle 1 + m\angle 2 = 180^\circ$	Same side int. \angle 's Theorem
$\angle A$ and $\angle B$ are complementary	$m\angle A + m\angle B = 90^\circ$	Def. of Complementary \angle 's.
$\overline{RW} \cong \overline{JP}$	$RW = JP$ (measure of seg. RW is \cong to seg. JP)	Def. of \cong Segments
	$\overline{UG} + \overline{GA} = \overline{UA}$	Segment Addition Postulate

GIVEN	STATEMENT	REASON
 <p>$\overline{WE} \cong \overline{ER}$ \overline{IE} bisects \overline{WR}</p>	$\overline{WE} \cong \overline{ER}$	Def. of bisector
$\angle A$ is a straight angle	$m\angle A = 180^\circ$	Def. of straight \angle .
$m\angle A + m\angle B = 180^\circ$ $m\angle A = m\angle C$	$\angle A$ & $\angle B$ are supp. \rightarrow $m\angle C + m\angle B = 180^\circ \rightarrow$ $\angle C$ & $\angle B$ are supp. \rightarrow	Def. of supp. \angle 's Substitution prop. Def. of supp \angle 's
$\angle ABC \cong \angle DEF$	$m\angle ABC = m\angle DEF$	Def. of $\cong \angle$'s
	$m\angle T = 90^\circ$ $m\angle P = 90^\circ$ $\angle T \cong \angle P$	Def. of right \angle 's Right \angle 's are \cong .
 <p>\overline{YH} bisects $\angle WYE$</p>	$\angle EYH \cong \angle HYW$ $\angle EYH + \angle HYW = \angle EYW$	Def of bisector Angle Addition Postulate
$m\angle 1 = 45^\circ$ $m\angle 2 = 45^\circ$	$m\angle 1 + m\angle 2 = 90^\circ$ $\angle 1$ & $\angle 2$ are complementary	Angle Add. Postulate Def. of comp. \angle 's
$AB + BC = AC$ $JK + KL = JL$ $AC = JL$	$AB + BC = JK + KL$	Substitution Property
$m\angle 2 + m\angle 3 = 90^\circ$	$\angle 2$ & $\angle 3$ are complementary	Def. of Complementary \angle 's
$\angle R$ and $\angle G$ form a linear pair	$m\angle R + m\angle G = 180^\circ$ $\angle R$ & $\angle G$ are Supplementary	Def. of Linear Pair Def. of Supplementary \angle 's.